## MUMBAI UNIVERSITY

## DIGITAL LOGIC DESIGN \& ANALYSIS

SEMESTER 3 - CBCGS - DECEMBER 2019

## Q. 1 a) What are Universal gates? Why they are called so ?Explain with suitable Example . <br> [4M]

Ans: i) A universal gate is a gate which can implement any Boolean function without use any other gate type.
ii) The NAND and NOR gates are universal gates.
iii) AND and NOR are called universal gates because all the other gates like and,or,not,xor and xnor can be derived from it.
iv) NAND GATE :


| $A$ | $B$ | $Y$ |
| :--- | :--- | :--- |
| 0 | 0 | 1 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 0 |



| $A$ | $B$ | $Y$ |
| :--- | :--- | :--- |
| 0 | 0 | 1 |
| 0 | 1 | 0 |
| 1 | 0 | 0 |
| 1 | 1 | 0 |

v) Example: OR gate using universal gate i.e NAND gate. OR gate can be implemented using three NAND gate .


OR GATE USING NAND
b) Perform following substractions using 7's complement method.
a) $(\mathbf{2 0})_{5}-(\mathbf{1 4})_{5}$
b) $(20)_{10}-(15)_{10}$

Ans: a) The given numbers are of base 5 . We should convert it into octal for Substraction process.

Using conversion table ,

$$
(20)_{5}=(12)_{8} \quad \& \quad(14)_{5}=(11)_{8}
$$

Here $A=12, B=11$.
Find $\mathrm{A}-\mathrm{B}=$ ? using 7's complement
First find 7's complement of $B=11$

Note : 7's complement of a number is obtained by subtracting all bits from 77 .
7 's complement of 11 is
$77-11=66$
Add it in A i.e in 12,

$$
12+66=100
$$

Here in 7 s complement substraction we add carry in LSB

$$
\therefore 00+1=01
$$

$$
\therefore(20)_{5}-(14)_{5}=(01)_{8}
$$

b) let $A=20$ and $B=15$ are decimal value.

We need octal numbers for the 7 s complement of any number.

$$
\therefore(20)_{10}=(24)_{8} \quad \& \quad(15)_{10}=(17)_{8}
$$

Applying 7's complement method on B ,

$$
77-17=60 \text { in octal }
$$

Add this number in A

$$
\therefore(24)_{8}+(60)_{8}=(104)_{8} \quad \text { Here carry is } 1 \text {. Add carry to LSB }
$$

$$
\therefore \quad(20)_{10}-(15)_{10}=(5)_{10}
$$

c) Perform (34) $\left.\mathbf{1 0}_{\mathbf{1 0}} \mathbf{- ( 1 2 )}\right)_{\mathbf{1 0}}$ in BCD using 10's complement method. Ans:

Here $A=34, B=10$.
Find $\mathrm{A}-\mathrm{B}=$ ? using 10 's complement
First find 10's complement of $B=10$

Note : 10's complement of a number is 1 added to it's 9 's complement number. 9 's complement of 10 is
$9 \quad 9$

- 10
$8 \quad 9$

Now add $1: 89+1=90$

Now Add this 10's complement of $B$ to $A$

| 34 |
| ---: |
| $+\quad 9 \quad 0$ |
| 124 |

Here carry is 1 ; carry is ignored .,

$$
(34)_{10}-(12)_{10}=(24)_{10}
$$

d) Explain lockout condition. How can it be avoided ?

Ans: i) Sometimes a counter may find itself in some unused states, this happen when if next state of some unused state is again some unused one and if by chance the counter happens to find itself in some unused state and never arrives at in used state then this condition is called "Lock Out".
ii) To avoid lock out condition the unused states are introduced in front of used states 1,4,5,6 and 7.
iii) An additional circuit is require to ensure that "lock out" does not occur. The counter should be designed using the next state to be initial state from the unused state.
iii)An additional circuit is require to ensure that "lock out" does not occur. The counter should be designed using the next state to be initial state from the unused state.
iv) To avoid lock out condition the unused states are introduced in front of used states from the above state diagram the $1,4,5,6$ and 7 is the sequence and unused states are 0,3 and 6 the states are introduced in front of us States $1,4,5$ and 7 respectively.
e) If the 7 bit hamming code word received by receiver is 1011011, assuming the even parity,state whether the received code word is correct or not. If wrong locate the bit having error and extract corrected data.

Ans: The received data is 1101101

$$
\begin{aligned}
& 2^{k}-1>=m+k \\
& 2^{3}-1>=4+3,
\end{aligned}
$$

$$
7=7
$$

Odd C1=1011
Even C2 = 1001
Odd C4 =1101
Bit error $=1+4=5$

## The correct data 1001011

## Q. 2 a) Reduce using Quine McClusky Method \& realize the operation using

NOR gates only.

$$
\begin{equation*}
F=\sum m(0,1,2,8,10,11,14,15) \tag{10M}
\end{equation*}
$$

Ans: The given function contains min terms and truth table and Quine McClusky method is given

Quine McClusky Method :

Finding all prime implicants of the function.Use those prime implicants in a prime implicant chart to find the essential prime implicants of the function, as well as other prime implicants that are necessary to cover the function

| A | B | C | D | Y |
| :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 1 |
| 0 | 0 | 0 | 1 | 1 |
| 0 | 0 | 1 | 0 | 1 |
| 0 | 0 | 1 | 1 | 0 |
| 0 | 1 | 0 | 0 | 0 |
| 0 | 1 | 0 | 1 | 0 |
| 0 | 1 | 1 | 0 | 0 |
| 0 | 1 | 1 | 1 | 0 |
| 1 | 0 | 0 | 0 | 1 |
| 1 | 0 | 0 | 1 | 0 |
| 1 | 0 | 1 | 0 | 1 |
| 1 | 0 | 1 | 1 | 1 |
| 1 | 1 | 0 | 0 | 0 |
| 1 | 1 | 0 | 1 | 0 |
| 1 | 1 | 1 | 0 | 1 |
| 1 | 1 | 1 | 1 | 1 |

$\therefore \mathbf{y}=\mathrm{B}^{\prime} \mathrm{D}^{\prime}+\mathrm{AC}+\mathrm{A}^{\prime} \mathrm{B}^{\prime} \mathbf{C}^{\prime}$

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| 0 | $(10,8,2,0)$ | $-0-0$ |
| :---: | :---: | :---: |
| 1 | - | - |
| 2 | $(15,14,11,10)$ | $1-1-$ |

## Implementation :



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## b) Explain one digit BCD Adder .

Ans : I)A $B C D$ adder adds two $B C D$ digits and produces output as a $B C D$ digit. A BCD or Binary Coded Decimal digit cannot be greater than 9 .
II)The two BCD digits are to be added using the rules of binary addition.
III) If sum is less than or equal to 9 and carry is 0 , then no correction is needed. The sum is correct and in true BCD form.
IV) But if sum is greater than 9 or carry $=1$, the result is wrong and correction must be done. The wrong result can be corrected adding six (0110) to it.
V) For implementing a BCD adder using a binary adder circuit IC 7483, additional combinational circuit will be required, where the Sum output S3-S0S3-S0 is checked for invalid values from 10 to 15 . The truth table and K -map for the same is as shown:

| $\mathrm{I} / \mathrm{P}$ |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| $\mathrm{O} / \mathrm{P}$ |  |  |  |  |
| S 3 | S 2 | S 1 | S 0 | Y |
| 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 0 | 1 | 0 |
| 0 | 0 | 1 | 0 | 0 |
| 0 | 0 | 1 | 1 | 0 |
| 0 | 1 | 0 | 0 | 0 |
| 0 | 1 | 0 | 1 | 0 |
| 0 | 1 | 1 | 0 | 0 |
| 0 | 1 | 1 | 1 | 0 |
| 1 | 0 | 0 | 0 | 0 |
| 1 | 0 | 0 | 1 | 0 |
| 1 | 0 | 1 | 0 | 1 |
| 1 | 0 | 1 | 1 | 1 |
| 1 | 1 | 0 | 0 | 1 |
| 1 | 1 | 0 | 1 | 1 |
| 1 | 1 | 1 | 0 | 1 |
| 1 | 1 | 1 | 1 | 1 |



Table1. Truth table for BCD numbers
VI)The Boolean expression is, $\mathrm{Y}=\mathrm{S} 3 \mathrm{~S} 2+\mathrm{S} 3 \mathrm{~S} 1 \mathrm{Y}=\mathrm{S} 3 \mathrm{~S} 2+$ S3S1
VII)The BCD adder is shown below. The output of the combinational circuit should be 1 if Cout of adder-1 is high. Therefore Y is ORed with Cout of adder 1.
VIII)The output of combinational circuit is connected to B1B2 inputs of adder-2 and $\mathrm{B} 3=\mathrm{B} 1+0 \mathrm{~B} 3=\mathrm{B} 1+0$ as they are connected to ground permanently. This makes $\mathrm{B} 3 \mathrm{~B} 2 \mathrm{~B} 1 \mathrm{BOB} 3 \mathrm{~B} 2 \mathrm{~B} 1 \mathrm{BO}=0110$ if $\mathrm{Y}^{\prime}=1$.
IX) The sum outputs of adder-1 are applied to A3A2A1AOA3A2A1AO of adder-2. The output of combinational circuit is to be used as final output carry and the carry output of adder- 2 is to be ignored.


Fig. BCD addition using IC 7483

Example:

| 1 | 1 | 1 | 1 |  |
| :--- | :--- | :--- | :--- | :--- |
|  | 0 | 1 | 1 | 1 |
| + | 1 | 0 | 0 | 1 |
| 1 | 0 | 0 | 0 | 0 |

Thus,
Cout $=1$

S3S2S1S0=0000
Hence, for adder, inputs will be
A3A2A1A0=0000
B3B2B1B0=0110
This will give final output as
Cout S3S2S1SO=10110

S3S2S1S0=0000

A3A2A1A0=0000
B3B2B1B0=0110

S3S2S1S0=10110.
Q. 3 (a) Construct 32:1 MUX using 8:1 MUX only.Also comment about select lines used [10M] Ans :
i) In electronics, a multiplexer (or mux), also known as a data selector, is a device that selects between several analog or digital input signals and forwards it to a single output line.
ii) The multiplexer is a combinational logic circuit designed to switch one of several input lines to a single common output line.
iii) Multiplexer are of different types .Example 2:1 MUX , 4:1 MUX , 8:1 MUX , 16:1 MUX ,32:1 MUX ,etc.
iv) We can implement a MUX using different types of MUX .For example, we can Construct 32:1 MUX using 8:1 MUX only.
V) Truth table and implementation of 32:1 MUX :

| Select inputs |  |  |  | Output=Y |
| :---: | :---: | :---: | :---: | :---: |
| $\mathrm{S}_{4} \mathrm{~S}_{3}$ | S2 | S1 | So |  |
| $\begin{aligned} & 0 \\ & 0 \\ & 0 \end{aligned}$ |  | $\begin{aligned} & 0 \\ & \vdots \\ & \vdots \\ & 1 \end{aligned}$ | $0_{0}$ | $\begin{gathered} \mathrm{D}_{0} \\ \vdots \\ \vdots \\ \mathrm{D}_{7} \\ \hline \end{gathered}$ |
|  |  | $\begin{aligned} & 0 \\ & \therefore \\ & \therefore \\ & 1 \end{aligned}$ |  | $\begin{gathered} \mathrm{D}_{8} \\ \vdots \\ \mathrm{D}_{15} \end{gathered}$ |
| $\begin{array}{cc} 1 & 0 \\ \vdots & \\ 1 & 0 \end{array}$ |  | $\begin{aligned} & 0 \\ & \vdots \\ & \therefore \\ & 1 \end{aligned}$ | 0 1 | $\begin{gathered} \mathrm{D}_{16} \\ \vdots \\ \vdots \\ \mathrm{D}_{23} \end{gathered}$ |
|  |  | $\begin{aligned} & 0 \\ & \vdots \\ & \vdots \\ & \hline \end{aligned}$ | 0 1 | $\begin{gathered} D_{24} \\ \vdots \\ \vdots \\ D_{31} \\ \hline \end{gathered}$ |



Comment on select lines : i) From circuit diagram, we can see that SO S1 S2 select lines are used to select MUX which are connected to the main data lines.
ii)There are select lines such as S5 S4 S3 used to select this multiple MUXes .
b) Solve the following using Kmap

$$
\mathrm{F}(\mathrm{~A}, \mathrm{~B}, \mathrm{C}, \mathrm{D})=\pi M(3,4,5,6,7,10,11,15)
$$

Ans: The given function contains max terms .
Truth table :

| A | B | C | D | Y |
| :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 1 |
| 0 | 0 | 0 | 1 | 1 |
| 0 | 0 | 1 | 0 | 1 |
| 0 | 0 | 1 | 1 | 0 |
| 0 | 1 | 0 | 0 | 0 |
| 0 | 1 | 0 | 1 | 0 |
| 0 | 1 | 1 | 0 | 0 |
| 0 | 1 | 1 | 1 | 0 |
| 1 | 0 | 0 | 0 | 1 |
| 1 | 0 | 0 | 1 | 1 |
| 1 | 0 | 1 | 0 | 0 |
| 1 | 0 | 1 | 1 | 0 |
| 1 | 1 | 0 | 0 | 1 |
| 1 | 1 | 0 | 1 | 1 |
| 1 | 1 | 1 | 0 | 1 |
| 1 | 1 | 1 | 1 | 0 |

KMAP :


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Circuit Diagram :

y = B'C' + AC' + A'B'D' + ABD'
c) Design full adder using half adders and few gates.

Ans : Half Adder : The addition of 2bits is called Half adder the input variebles are augent and addent bits and output variebles are sum\&carry bits.

Full Adder : Full Adder is the adder which adds three inputs and produces two outputs. The first two inputs are A and B and the third input is an input carry as C IN. The output carry is designated as C-OUT and the normal output is designated as $S$ which is SUM.

| A | B | C | Y(SUM) | Y(CARRY) |
| :--- | :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 1 | 0 |
| 0 | 1 | 0 | 1 | 0 |
| 0 | 1 | 1 | 0 | 1 |
| 1 | 0 | 0 | 1 | 0 |
| 1 | 0 | 1 | 0 | 1 |
| 1 | 1 | 0 | 0 | 1 |
| 1 | 1 | 1 | 1 | 1 |


| $A$ | $B$ | $Y(S U M)$ | $Y(C A R$ <br> $R Y)$ |
| :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | 0 |
| 0 | 1 | 1 | 0 |
| 1 | 0 | 1 | 0 |
| 1 | 1 | 0 | 1 |

HALF ADDER


Full adder using half adder circuit :


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## Q. 4 a) Convert SR flip flop to JK flip flop and T flip flop.

## Ans: A) SR flip flop to JK flip flop :

I) The truth tables for the flip flop conversion are given below. The present state is represented by $Q p$ and $Q p+1$ is the next state to be obtained when the $J$ and $K$ inputs are applied.
II)For two inputs J and K , there will be eight possible combinations. For each combination of J, $K$ and $Q p$, the corresponding $Q p+1$ states are found. $Q p+1$ simply suggests the future values to be obtained by the JK flip flop after the value of $Q p$. The table is then completed by writing the values of $S$ and $R$ required to get each $Q p+1$ from the corresponding $Q p$. That is, the values of $S$ and $R$ that are required to change the state of the flip flop from Qp to $\mathrm{Qp+1}$ are written.

Truth Table :

| J | K | $Q_{P}$ | $Q_{P+1}$ | S | R |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 | X |
| 0 | 0 | 0 | 1 | X | 0 |
| 0 | 0 | 1 | 0 | 0 | X |
| 0 | 0 | 1 | 0 | 0 | 1 |
| 0 | 1 | 0 | 1 | 1 | 0 |
| 0 | 1 | 0 | 1 | X | 0 |
| 0 | 1 | 1 | 1 | 1 | 0 |
| 0 | 1 | 1 | 0 | 0 | 1 |



## Circuit:


B) SR Flip flop to T flip flop :

Truth table of T flip flop :

| T INPUT | PRESENT STATE | NEXT STATE |
| :--- | :--- | :--- |
| 0 | 0 | 0 |
| 0 | 1 | 1 |
| 1 | 0 | 1 |
| 1 | 1 | 0 |

Excitation table of SR flip flop :

| Present State | Next state | S | R |
| :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | X |
| 0 | 1 | 1 | 0 |
| 1 | 0 | 0 | 1 |
| 1 | 1 | x | 0 |

Combined table for conversion :

| T | Present | Next state | S | R |
| :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | x |
| 0 | 1 | 1 | x | 0 |
| 1 | 0 | 1 | 1 | 0 |
| 1 | 1 | 0 | 0 | 1 |

1. Connect the $S$ input to the output of a two-input AND gate which is driven by the user-provided input, T , and the negation of the flip-flop's presentstate, $\overline{\mathrm{Q}}_{\mathrm{n}}$
2. Connect the $R$ input to the output of a two-input AND gate which is driven by the user-defined input, T , and the present-state of the flip-flop, Qn


## Circuit :



## b) Design 3-bit asynchronous up-down counter.

Ans :
i) As we know that in the up-counter each flip-flop is triggered by the normal output of the preceding flip-flop (from output Q of first flip-flop to clock of next flip-flop); whereas in a down-counter,
each flip-flop is triggered by the complement output of the preceding flip-flop (from output $Q^{\wedge}$ of first flip-flop to clock of next flip-flop).

Truth table :

| State | Qc | Qb | Qa | State | Qc | Qb | Qa |
| :--- | :---: | :---: | :---: | :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | 0 | 7 | 1 | 1 | 1 |
| 1 | 0 | 0 | 1 | 6 | 1 | 1 | 0 |
| 2 | 0 | 1 | 0 | 5 | 1 | 0 | 1 |
| 3 | 0 | 1 | 1 | 4 | 1 | 0 | 0 |
| 4 | 1 | 0 | 0 | 3 | 0 | 1 | 1 |
| 5 | 1 | 0 | 1 | 2 | 0 | 1 | 0 |
| 6 | 1 | 1 | 0 | 1 | 0 | 0 | 1 |
| 7 | 1 | 1 | 1 | 0 | 0 | 0 | 0 |

i)For up down counting operation preceding flip-flop sometime it need input from output from output Q of first flip-flop to clock of next flip-flop for up-counting and sometimes from output $Q^{\wedge}$ of first flip-flop to clock of next flip-flop for downcounting. So in above circuit diagram it is shown clearly.
ii) As we know a flip-flop can hold single bit so for 3 bit operation it need three flip-flops.
iii)An inverter has been inserted in between the count-up control line and the count-down control line to ensure that the count-up and count-down cannot be simultaneously in the HIGH state.
iv)When the count-up/down line is held HIGH, the lower AND gates will be disabled and their outputs will be zero.
v) So they will not affect the outputs of the OR gates. At the same time the upper AND gates will be enabled. Hence, QA will pass through the OR gate and into the clock input of the B flip-flop.
vi)Similarly, QB will be gated into the clock input of the C flip-flop. Thus, as the input pulses are applied, the counter will count up and follow a natural binary counting sequence from 000 to 111.
vii)Similarly, with count-up/down line being logic 0 , the upper AND gates will become disabled and the lower AND gates are enabled, allowing $Q^{\prime} A$ and $Q^{\prime} B$ to pass through the clock inputs of the following flip-flops.
viii)Hence, in this condition the counter will count in down mode, as the input pulses are applied.

Designed Circuit :


## Q. 5 a) Design 4-bit Binary to Gray Code Convertor.

Ans:
i) The logical circuit which converts the binary code to equivalent gray code is known as binary to gray code converter.
ii) The gray code is a non-weighted code. The successive gray code differs in onebit position only that means it is a unit distance code.
iii)It is also referred as a cyclic code. It is not suitable for arithmetic operations. It is the most popular of the unit distance codes. It is also a reflective code.
iv) An $n$-bit Gray code can be obtained by reflecting an $n-1$ bit code about an axis after $2 \mathrm{n}-1$ rows and putting the MSB of 0 above the axis and the MSB of 1 below the axis. Reflection of the 4 bits binary to gray code conversion table is given below:

| A | B | C | D | GRAY CODE |
| :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0000 |
| 0 | 0 | 0 | 1 | 0001 |
| 0 | 0 | 1 | 0 | 0011 |
| 0 | 0 | 1 | 1 | 0010 |
| 0 | 1 | 0 | 0 | 0110 |
| 0 | 1 | 0 | 1 | 0111 |
| 0 | 1 | 1 | 0 | 0101 |
| 0 | 1 | 1 | 1 | 0100 |
| 1 | 0 | 0 | 0 | 1100 |
| 1 | 0 | 0 | 1 | 1101 |
| 1 | 0 | 1 | 0 | 1111 |
| 1 | 0 | 1 | 1 | 1110 |
| 1 | 1 | 0 | 0 | 1010 |
| 1 | 1 | 0 | 1 | 1011 |
| 1 | 1 | 1 | 0 | 1001 |
| 1 | 1 | 1 | 1 | 1000 |

$\mathrm{G} 4=\sum \mathrm{m}(8,9,10,11,12,13,14,15)$,
$\mathrm{G} 2=\sum \mathrm{m}(2,3,4,5,10,11,12,13)$,
$\mathrm{G}_{3}=\sum \mathrm{m}(4,5,6,7,8,9,10,11)$
$\mathrm{G} 1=\sum \mathrm{m}(1,2,5,6,9,10,13,14)$

$A B$

$C_{2}=B \oplus C$


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## b) What is race around condition?How it is overcome in Master slave JK

 Flip flop?
## Ans: Race around condition :

i) In jk flip flop there occurs a condition called race around when we put both $j$ and $k$ as 1 .In race around Condition till the clock is high the output varies continuously from 0 to $1 \& 1$ to 0 .
ii) This condition is undesirable as it is of no use because the change in output is uncontrolled.
iii) In JK flip flop as long as clock is high for the input conditions J\&K equals to the output changes or complements its output from $1 \rightarrow 0$ and $0 \rightarrow 1$.
iv) This is called toggling output or uncontrolled changing or racing condition. Consider above J\&K circuit diagram as long as clock is high and J\&K=11 then two upper and lower AND gates are only triggered by the complementary outputs $Q$ and $Q(b a r)$. I.e. in any condition according to the propagation delay one gate will be enabled and another gate is disabled.
v) If upper gate is disabled then it sets the output and in the next lower gate will be enabled which resets the flip flop output.
vi) If the Clock On or High time is less than the propagation delay of the flip flop then racing can be avoided. This is done by using edge triggering rather than level triggering.
vii) If the flip flop is made to toggle over one clock period then racing can be avoided. This introduced the concept of Master Slave JK flip flop.

## c) Design 1-Bit Magnitude comparator using logic gates.

Ans: i) A comparator used to compare two bits is called a single bit comparator.
ii) It consists of two inputs each for two single bit numbers and three outputs to generate less than, equal to and greater than between two binary numbers.

| A | B | $\mathrm{A}>\mathrm{B}$ | $\mathrm{A}<\mathrm{B}$ | $\mathrm{A}==\mathrm{B}$ |
| :--- | :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | 0 | 1 |
| 0 | 1 | 0 | 1 | 0 |
| 1 | 0 | 1 | 0 | 0 |
| 1 | 1 | 0 | 0 | 1 |

iii) A magnitude digital Comparator is a combinational circuit that compares two digital or binary numbers in order to find out whether one binary number is equal, less than or greater than the other binary number.
iv) We logically design a circuit for which we will have two inputs one for $A$ and other for B and have three output terminals, one for $\mathrm{A}>\mathrm{B}$ condition, one for $\mathrm{A}=\mathrm{B}$ condition and one for $\mathrm{A}<\mathrm{B}$ condition.


Logical expression :
$A>B: \quad A B^{\prime}$
$A<B: \quad A^{\prime} B$
$A=B: \quad A^{\prime} B^{\prime}+A B$

Q. 6 Write a short note on any four
a) VHDL Modelling Styles
b) TTL and CMOS Logic Families.
c) SISO and PISO Shift Register
d) ALU
e) Twisted ring counter

Ans: A) VHDL Modelling Styles:
1] Structural modelling: in this type of modelling an entity is explained as a set of inter connected component's.

- It shows graphical representation of modules component's, with their inter connection.
- Structural modelling can be used to generate very high level or low level description in ckt.

2] Data flow modelling: In data flow modelling the data flow through the entity is expressed using con current signal assignment statements.

- Concurrent signal assignment statements are those in which appear outside of a process, there are event triggered.
- In signal assignment for assignment of a value to a signal symbol < = is used.


## 3] Behavioral style of modelling:

- The behavioral level of abstraction is the level of abstraction supported in VHDL.
- Process body must be included in every behavioral description.
- The behavioral style of modelling denotes the entity behavior as a set of statements which executes sequentially.

4] Mixed style of modelling: in a single structure body, we can mix the three modelling style is within an architecture body to represent structure we can use components installation statements, to represent data flow we can use concurrent signal assignment statements and to represent behavior, we can use process statements

## B) TTL and CMOS Logic Families :

i) The transistor-transistor-logic (TTL) family was developed in the use of transistor switches for logical operations and defines the binary values as

$$
\begin{aligned}
& 0 \mathrm{~V} \text { to } 0.8 \mathrm{~V}=\operatorname{logic} 0 \\
& 2 \mathrm{~V} \text { to } 5 \mathrm{~V}=\operatorname{logic} 1
\end{aligned}
$$

ii) TTL is the largest family of digital ICs, but the CMOS family is growing rapidly. They are inexpensive, but draw a lot of power and must be supplied with +5 volts. Individual gates may draw 3 to 4 mA .
iii) The low power Schottky versions of TTL chips draw only 20\% of the power, but are more expensive. Part numbers for these chips have LS in the middle of them.
iv) The complementary metal oxide semiconductor family (CMOS) has equivalents to most of the TTL chips.
v) CMOS chips are much lower in power requirements (drawing about 1 mA ) and operate with a wide range of supply voltages (typically 3 to 18 volts).
vi) The CMOS model number will have a C in the middle of it, e.g., the 74C04 is the CMOS equivalent to the TTL 7404.
vii) A high drawback is extreme sensitivity to static electricity - they must be carefully protected from static discharges.

## C) SISO and PISO Shift Register :

i) The Shift Register is another type of sequential logic circuit that can be used for the storage or the transfer of binary data
ii) Shift Registers are used for data storage or for the movement of data and are therefore commonly used inside calculators or computers to store data such as two binary numbers before they are added together, or to convert the data from either a serial to parallel or parallel to serial format.
iii) Serial-in to Serial-out (SISO) - the data is shifted serially "IN" and "OUT" of the register, one bit at a time in either a left or right direction under clock control.

The SISO shift register is one of the simplest of the four configurations as it has only three connections, the serial input (SI) which determines what enters the left hand flip-flop, the serial output (SO) which is taken from the output of the right hand flip-flop and the sequencing clock signal (CIk).
iv) Parallel-in to Serial-out (PISO) - the parallel data is loaded into the register simultaneously and is shifted out of the register serially one bit at a time under clock control.

The Parallel-in to Serial-out shift register acts in the opposite way to the serial-in to parallel-out one above. The data is loaded into the register in a parallel format in which all the data bits enter their inputs simultaneously, to the parallel input pins PA to PD of the register. The data is then read out sequentially in the normal shift-right mode from the register at Q representing the data present at PA to PD.

## D) ALU :

i) An arithmetic logic unit (ALU) is a digital circuit used to perform arithmetic and logic operations.
ii) It represents the fundamental building block of the central processing unit (CPU) of a computer. Modern CPUs contain very powerful and complex ALUs. In addition to ALUs, modern CPUs contain a control unit (CU).
iii) Most of the operations of a CPU are performed by one or more ALUs, which load data from input registers. A register is a small amount of storage available as part of a CPU.
iv) The control unit tells the ALU what operation to perform on that data, and the ALU stores the result in an output register. The control unit moves the data between these registers, the ALU, and memory.
v) An ALU performs basic arithmetic and logic operations. Examples of arithmetic operations are addition, subtraction, multiplication, and division. Examples of logic operations are comparisons of values such as NOT, AND, and OR.
vi) All information in a computer is stored and manipulated in the form of binary numbers, i.e. 0 and 1. Transistor switches are used to manipulate binary numbers since there are only two possible states of a switch: open or closed.
vii) An open transistor, through which there is no current, represents a 0 . A closed transistor, through which there is a current, represents a 1.

## E) Twisted Ring counter :

i) A twisted ring counter, also called switch-tail ring counter, walking ring counter, Johnson counter, or Möbius counter, connects the complement of the output of the last shift register to the input of the first register and circulates a stream of ones followed by zeros around the ring.
ii)Ring counters are often used in hardware design (e.g. ASIC and FPGA design) to create finite-state machines .
iii) A binary counter would require an adder circuit which is substantially more complex than a ring counter and has higher propagation delay as the number of bits increases, whereas the propagation delay of a ring counter will be nearly constant regardless of the number of bits in the code.

